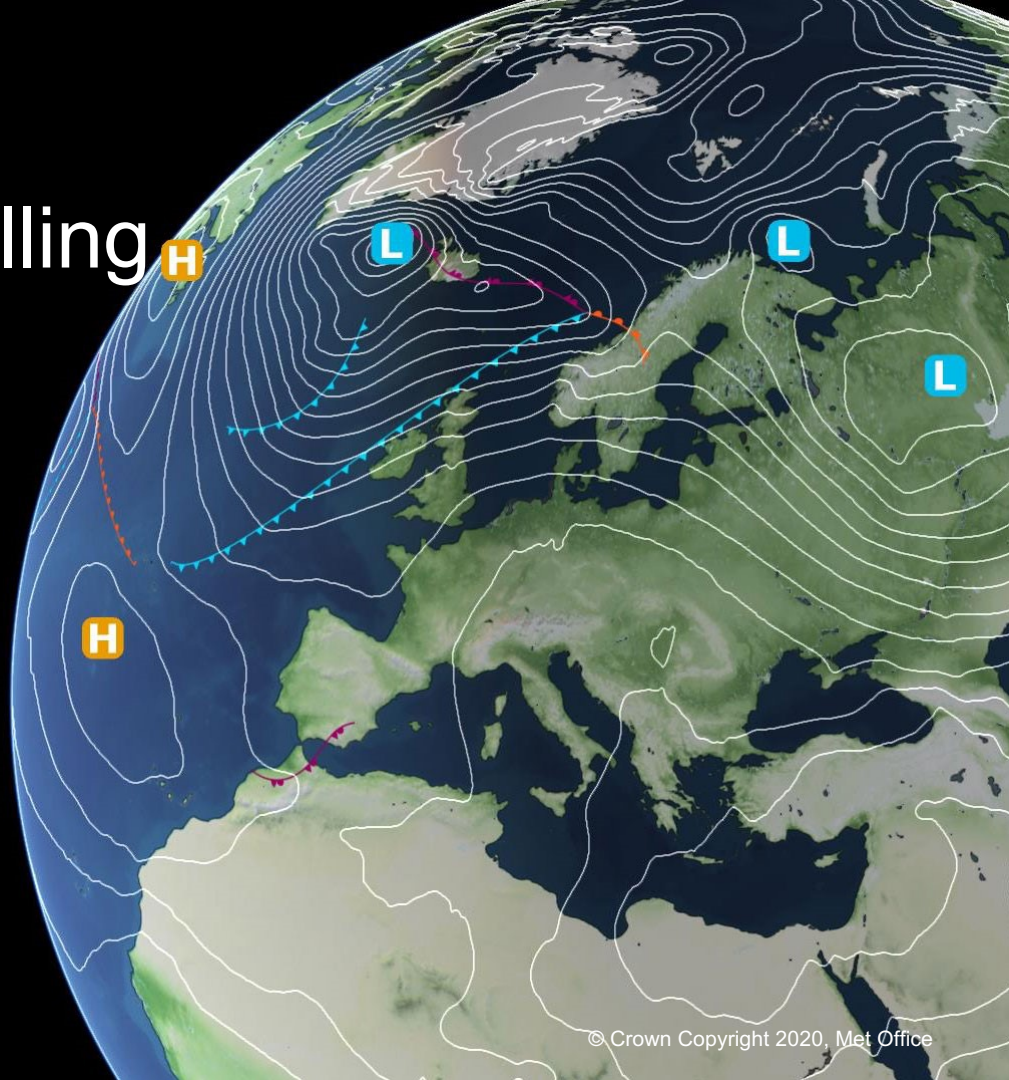


Next generation modelling with LFRic

UKCA Chemistry and Aerosol Tutorials
7 December 2022

Ben Shipway



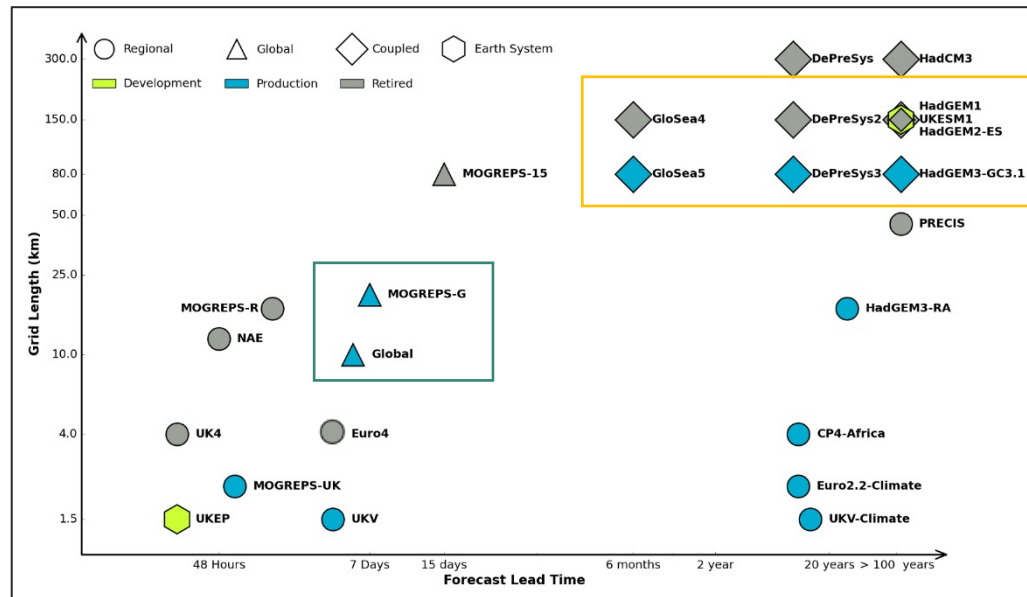
Outline

- Current Generation Modelling
 - UM atmosphere and ENDGame dynamical core
- Motivation
 - Why do we need a 'Next Generation'
- Next Generation Modelling
 - LFRic atmosphere and GungHo dynamical core
 - Look a bit at the code
- Current status and plans
 - When with LFRic be ready?

Seamless development

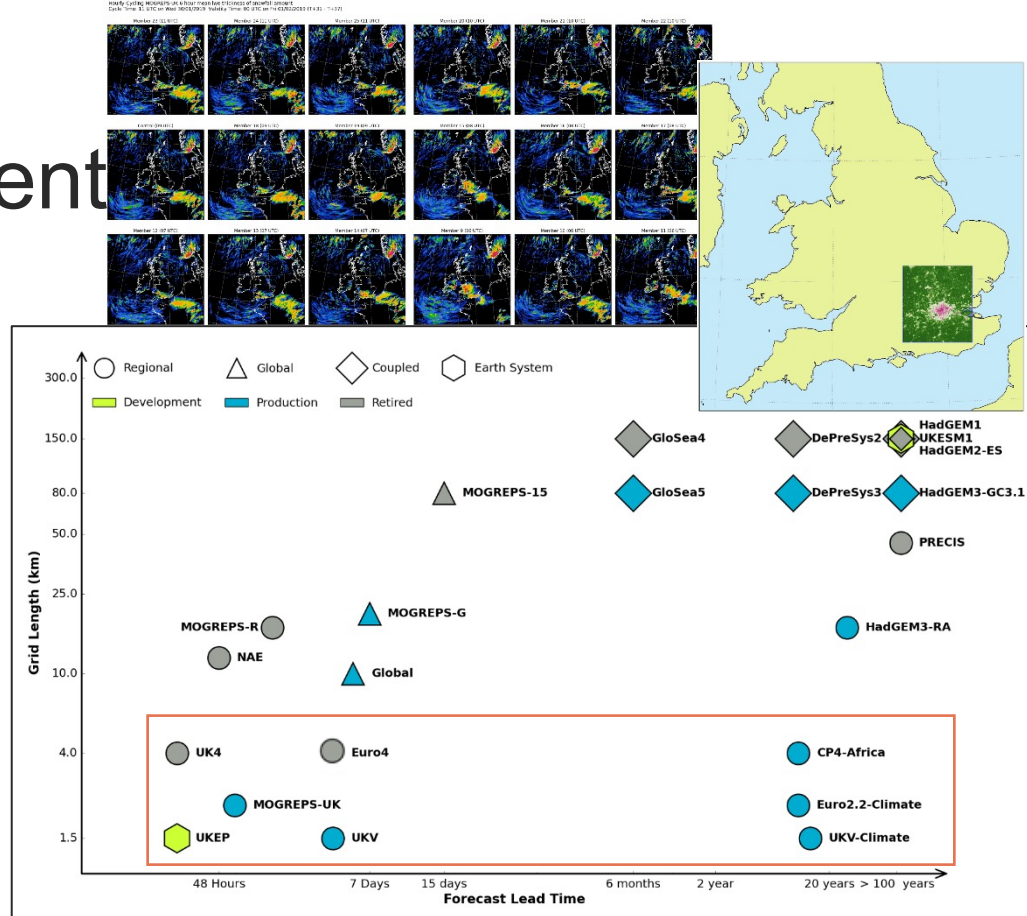


Global configurations	Horizontal resolution	Vertical levels
Deterministic NWP	0.14° x 0.09° (~10 km at mid-latitudes)	70 levels to 80 km
Ensemble NWP	0.28° x 0.18° (~20 km at mid-latitudes)	70 levels to 80 km
Seasonal/ Decadal climate	0.83° x 0.55° (~50 km at mid-latitudes)	85 levels to 85 km
Centennial/ ESM climate	1.875° x 1.25° (~140 km at mid-latitudes)	38 levels to 40 km



Seamless development

Regional configurations	Horizontal resolution	Vertical levels
UKV	1.5x1.5 km 950 x 1025 grid points	70 levels to 40 km
Ensemble	2.2x2.2 km 740 x 752 grid points	70 levels to 40 km
London Model	300mx300m 380x420	90 levels to 40 km
Relocatable LAM	various	various



Seamless development

Global hi-resolution (NWP):

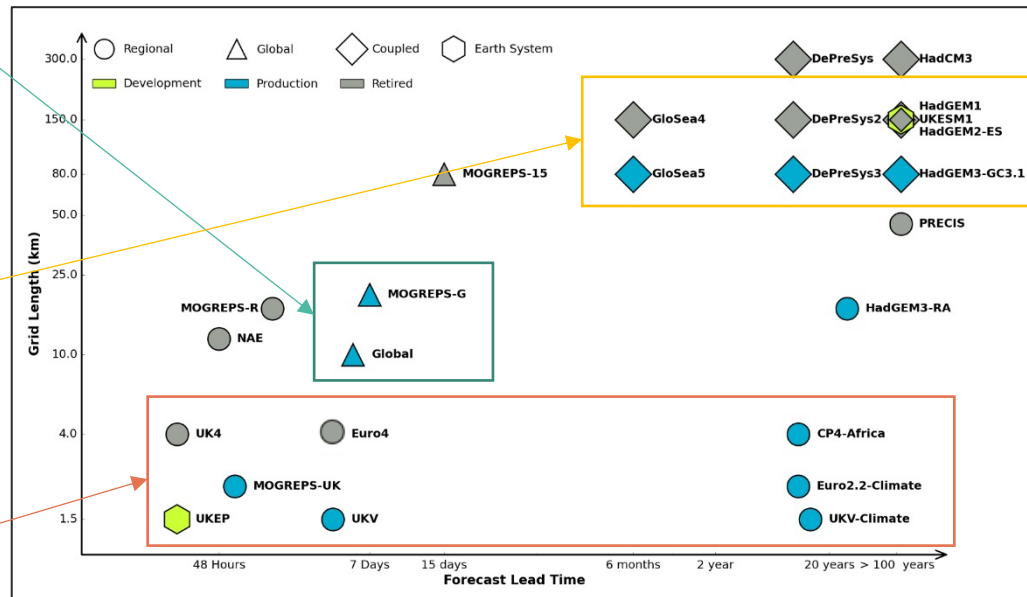
- Reaching limit of strong scaling
- Primary motivation for GungHo

Global low-resolution (climate/ESM):

- Dynamical core a smaller proportion of overall cost
- Greater cost from chemistry and diagnostics
- Motivates equations that are accurate on long timescales (e.g., conservation, no systematic bias)

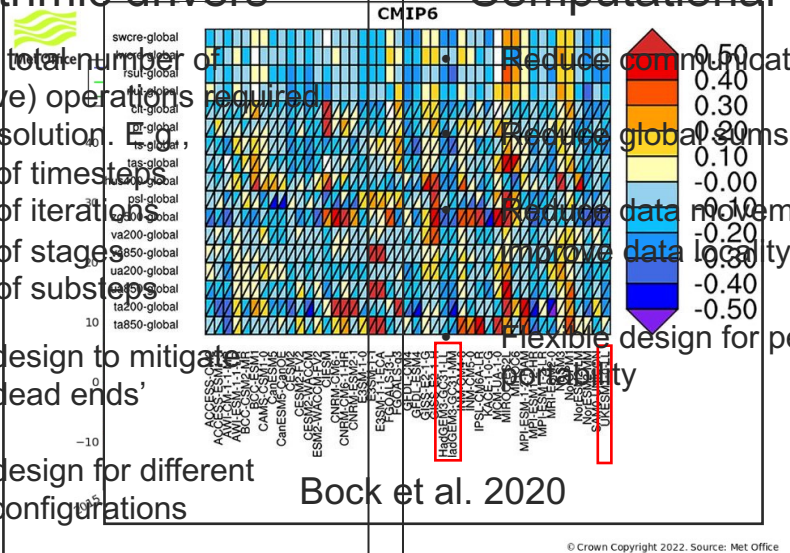
Regional hi-resolution (NWP):

- Spatial domain scales well
- Motivates non-hydrostatic equation set



Algorithmic drivers

- Minimize total number of (expensive) operations required to get to solution. Eg.,
 - # of timesteps
 - # of iterations
 - # of stages
 - # of substeps
- Flexible design to mitigate against ‘dead ends’
- Flexible design for different science configurations



Science drivers

- Retain characteristics of
ENDGame numerics:
 - Accurate representation
of physical equations
 - Accurate dispersion
 - No computational modes
(grid staggering)
 - Semi-implicit timestep
(physics coupling)
 - Retain physical
parametrizations
- Additionally want to improve
inherent conservation properties

Current generation modelling

Unified Model and ENDGame dynamical core

Governing Equations

Momentum Equation

$$\frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla) \mathbf{u} + 2\boldsymbol{\Omega} \times \mathbf{u} + \nabla \Phi + \frac{c_p \theta}{1 + \Sigma m_x} \nabla \Pi = \mathbf{S}_u$$

Thermodynamic Equation

$$\frac{\partial \theta}{\partial t} + \mathbf{u} \cdot \nabla \theta = S_\theta$$

Continuity Equation

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$$

Moisture Transport Equation

$$\frac{\partial m_x \rho}{\partial t} + \nabla \cdot (m_x \rho \mathbf{u}) = S_x$$

Equation of State

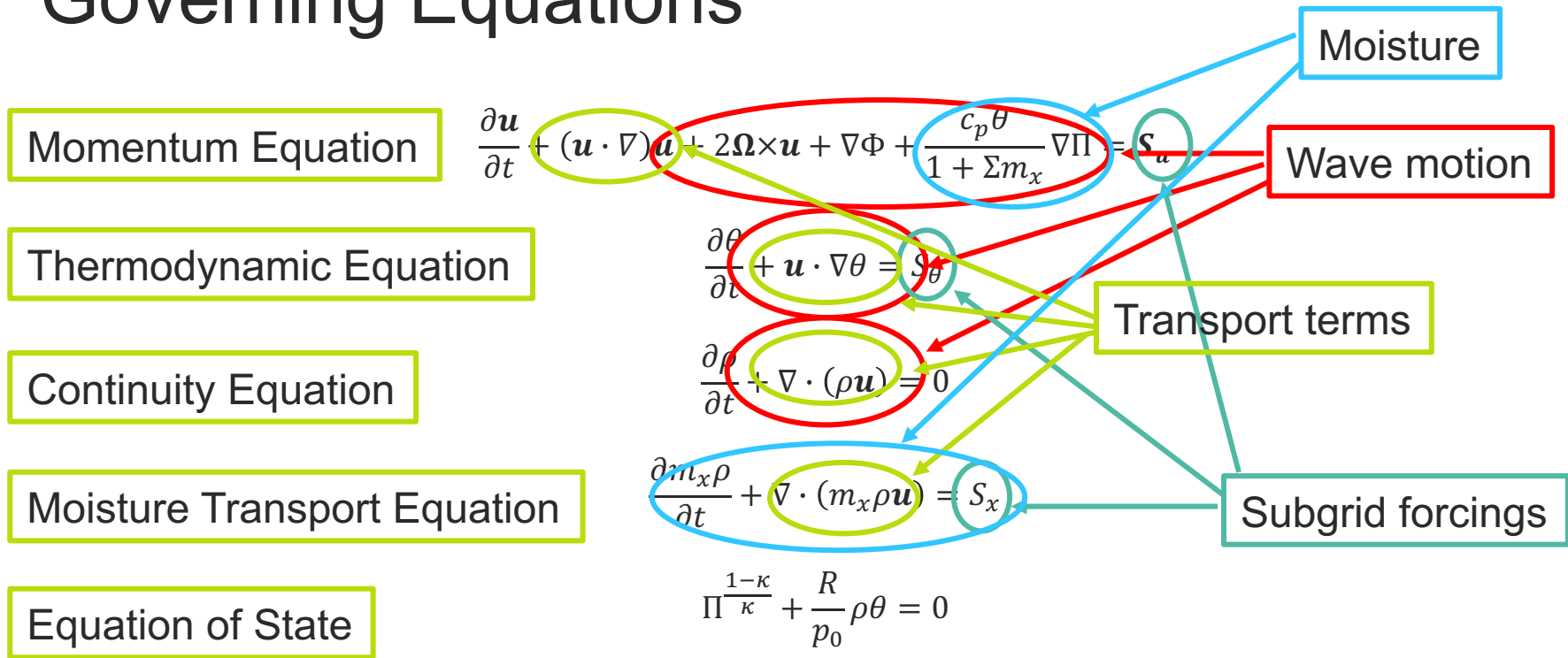
$$\Pi^{\frac{1-\kappa}{\kappa}} + \frac{R}{p_0} \rho \theta = 0$$

Moisture

Wave motion

Transport terms

Subgrid forcings

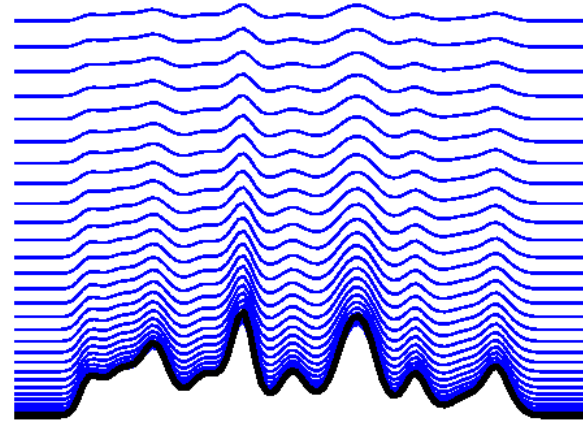


Structure of the Grid

Horizontal: latitude-longitude



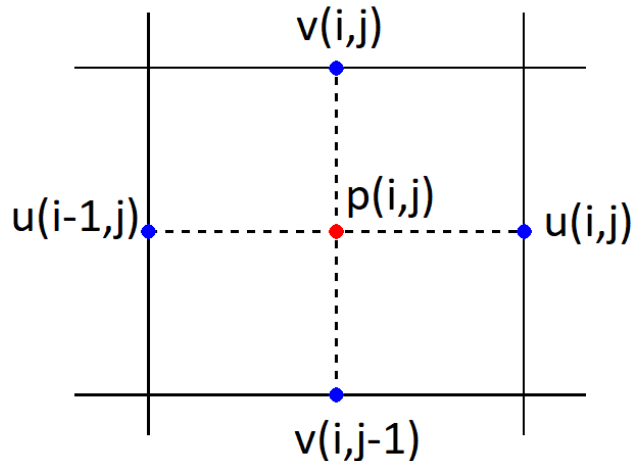
Vertical: terrain following



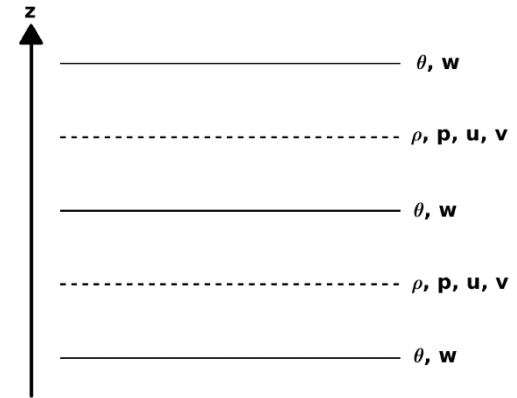
Spatial Discretisation: Staggered Finite Differences

Approximate spatial derivatives by
finite differences: $\frac{\partial X}{\partial z} \rightarrow \frac{X(t, z + \Delta z/2) - X(t, z - \Delta z/2)}{\Delta z}$

Horizontal:
C-grid



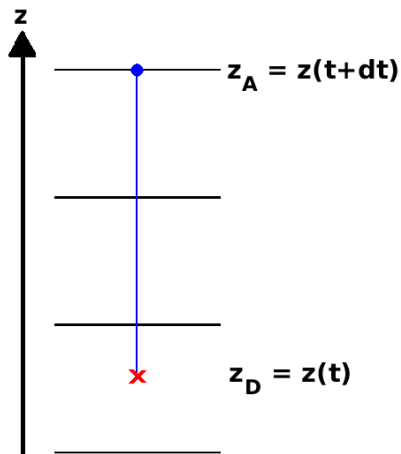
Vertical:
Charney-Phillips
grid



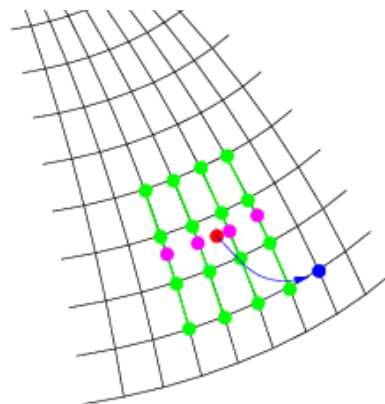
Transport: Semi-Lagrangian

Finite difference along a fluid parcel trajectory:

$$\frac{DX}{Dt} \rightarrow \frac{X(t + \Delta t, z(t + \Delta t)) - X(t, z(t))}{\Delta t}$$



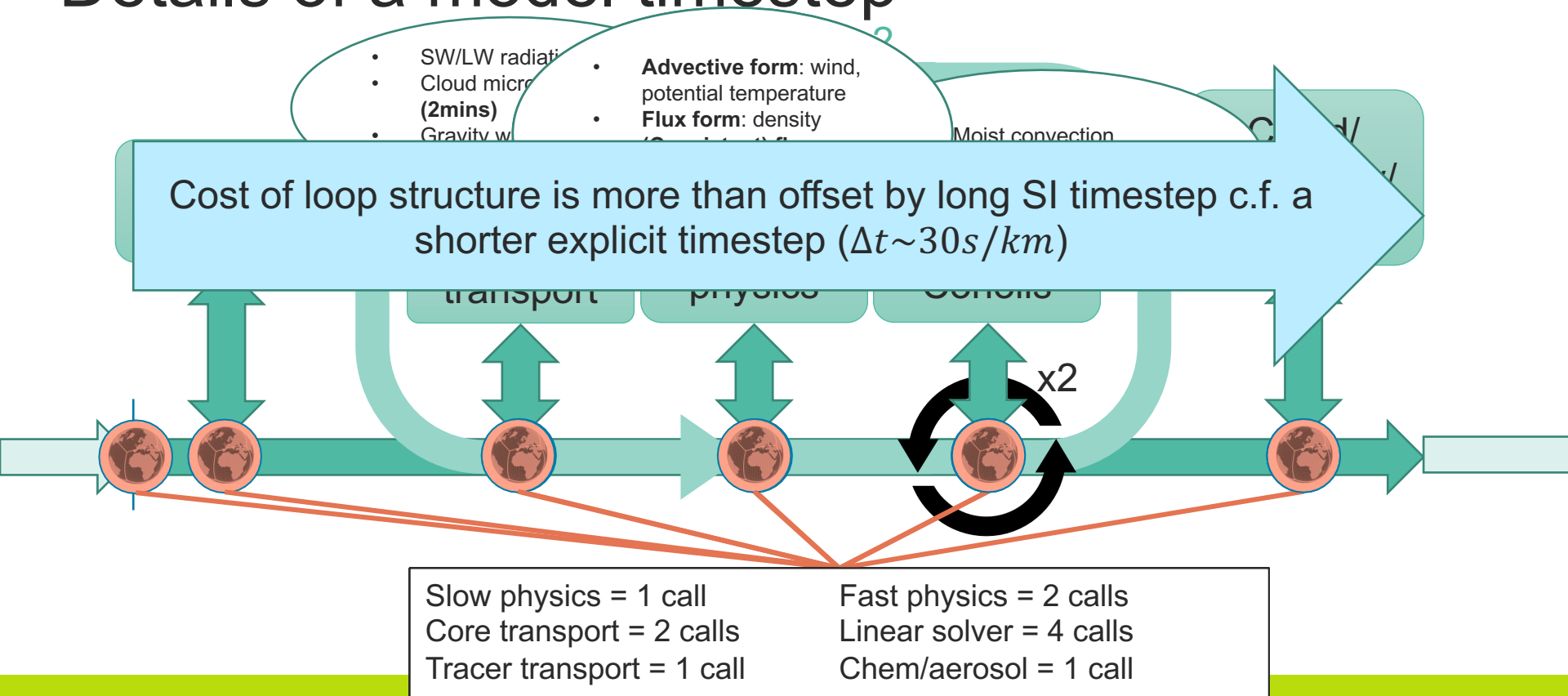
Interpolate X at time t to the departure point



Semi-implicit timestep

- Continuous: $\frac{\partial x}{\partial t} = f(x(t))$
- Explicit: $\frac{x^{n+1} - x^n}{\Delta t} = f(x^n)$
- Implicit: $\frac{x^{n+1} - x^n}{\Delta t} = f(x^{n+1})$
- Semi-implicit: $\frac{x^{n+1} - x^n}{\Delta t} = \alpha f(x^{n+1}) + (1 - \alpha)f(x^n)$
- Picard iteration: $x^{k+1} = x^n + \Delta t(\alpha f(x^k) + (1 - \alpha)f(x^n))$, take $x^{n+1} = x^{k+1}$ after k iterations

Details of a model timestep

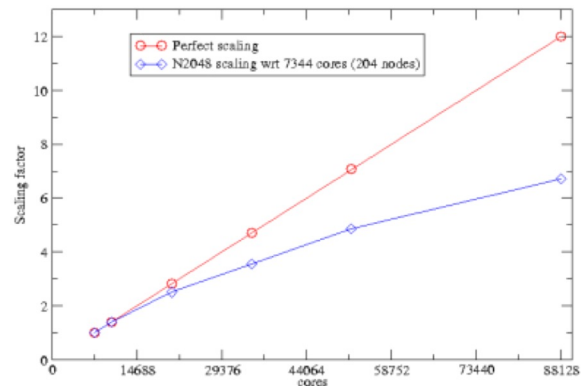


Why the next generation?

LFRic and GungHo dynamical core

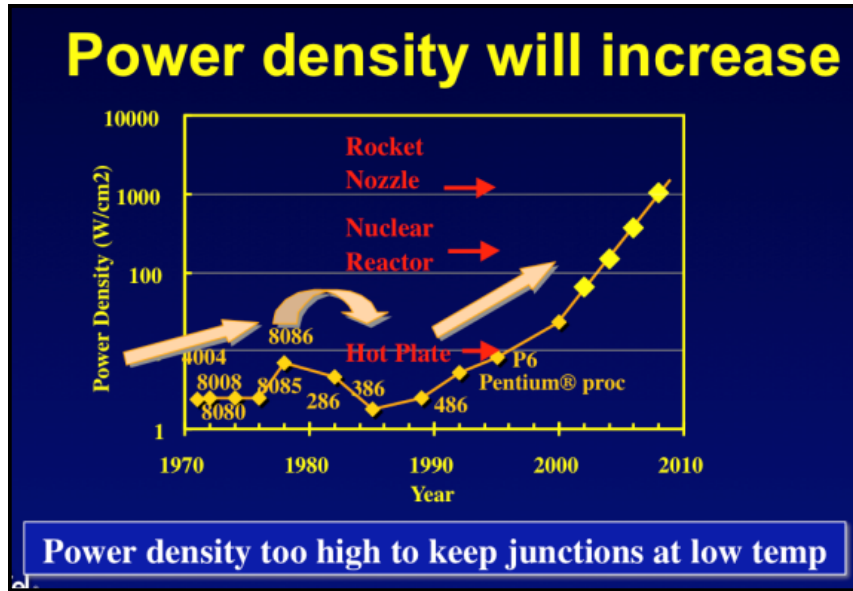
Story begins at the ENDGame

- ENDGame operational 2014
- Greatly improved scalability...
- ...but not enough for Exascale



Andy Malcolm, Paul Selwood

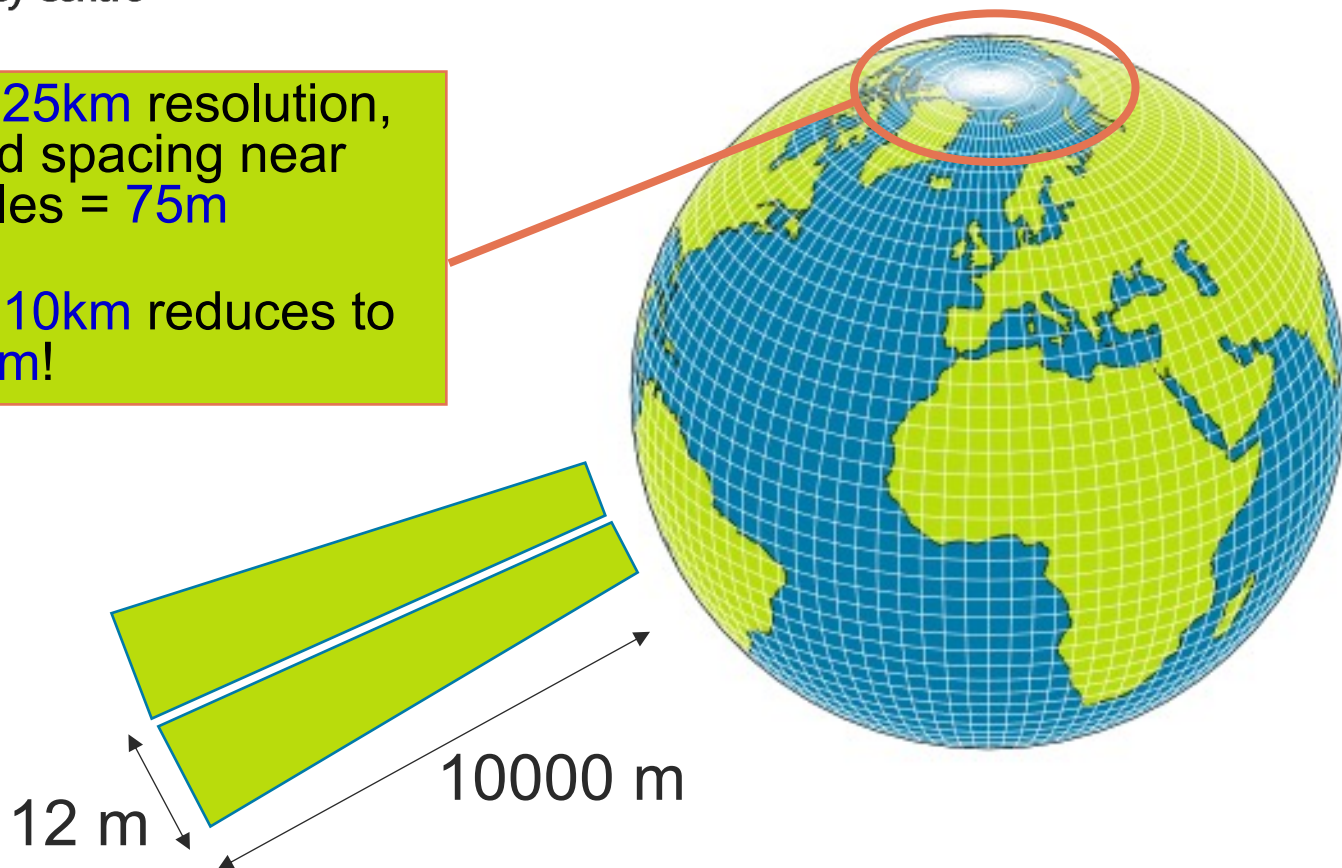
The problem is hardware



Intel, 2000

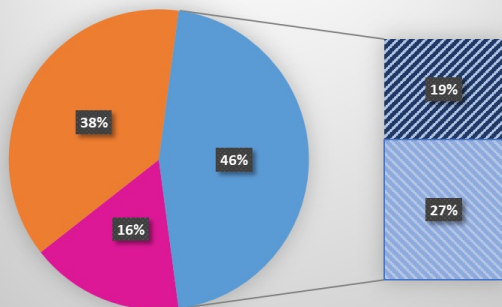


- At 25km resolution, grid spacing near poles = 75m
- At 10km reduces to 12m!

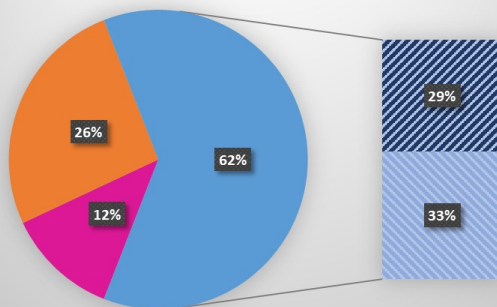


UM strong scaling at N2048 (~6km)

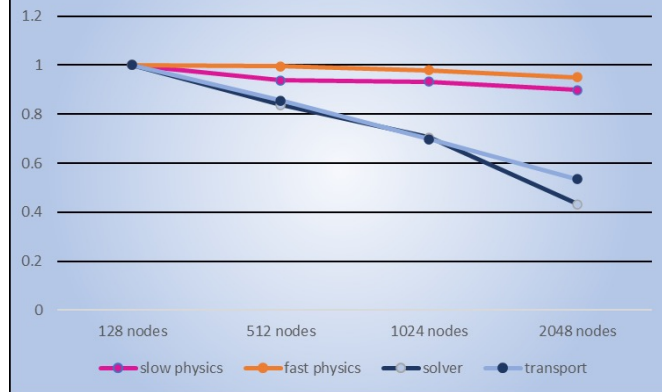
N2048 - 128 nodes (3omp threads)



N2048 2048 nodes (3omp threads)

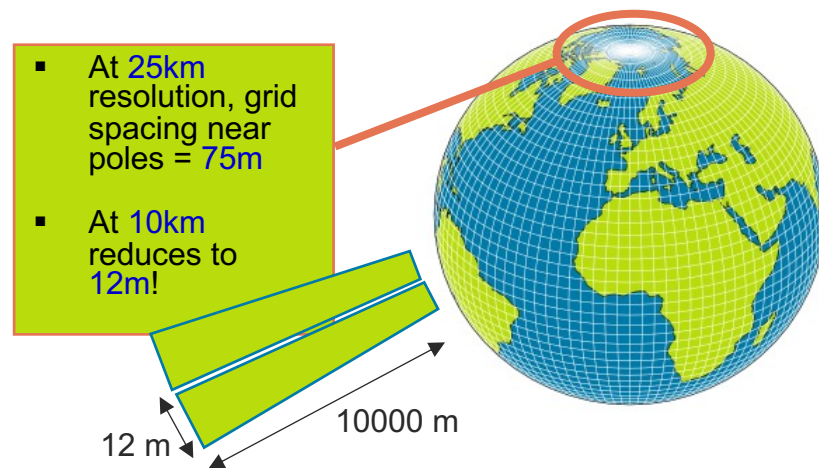


N2048 Scaling efficiency

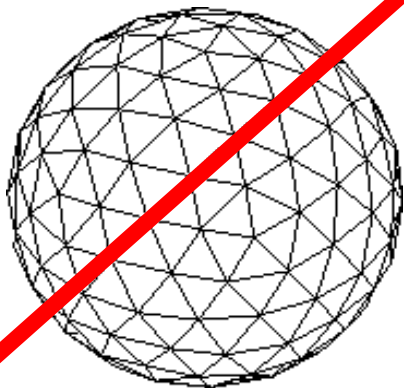


Performance Motivation

- Scalability for Lat-Lon mesh is limited by polar singularities
- Assumption of regular, orthogonal, finite difference scheme is deeply embedded in UM code
- No clear separation between computational and science code
- Choice to develop new infrastructure alongside the dynamical core



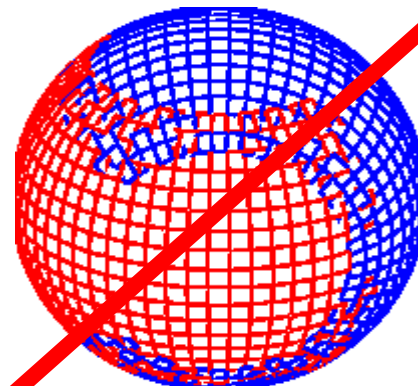
Choice of mesh (cubed-sphere)



- Triangles potentially difficult for coupling to physics and other system components.
- Not ruled out by GungHo and could be explored in future.



- Primary candidate and following assessment of scientific performance, is now becoming 'baked into' NGMS plans.



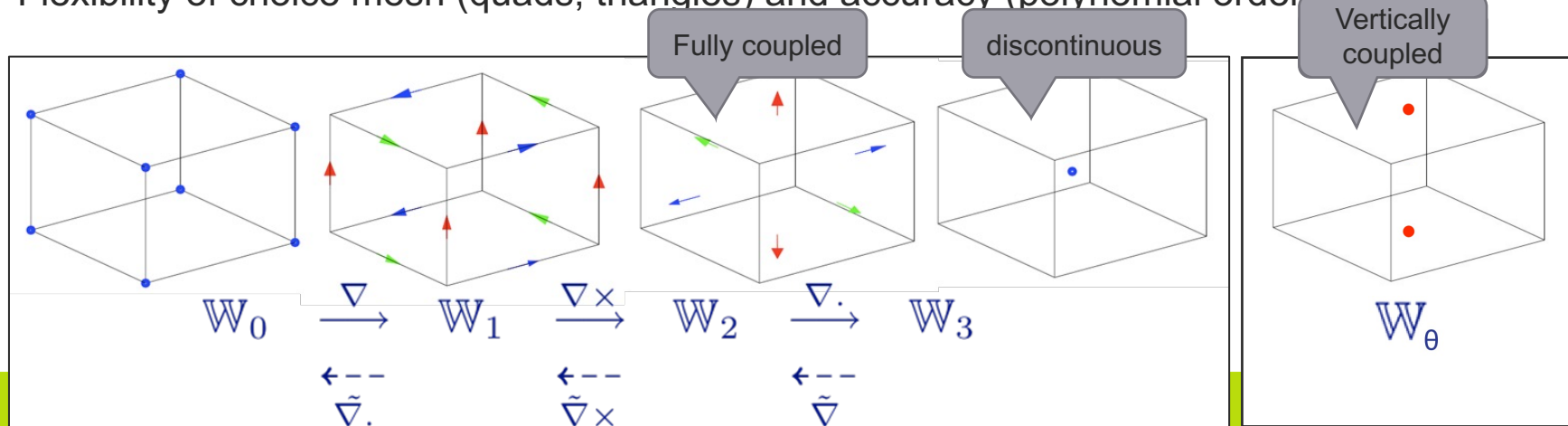
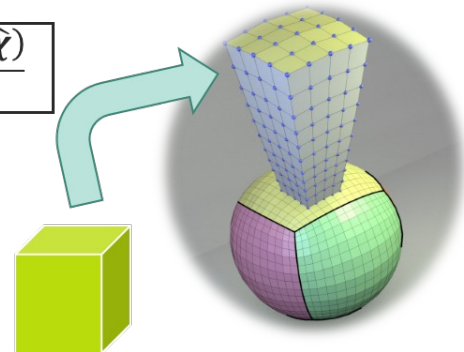
- Could retain ENDGame numerics.
- Not good for conservation/physics in the overlap region.

Mixed Finite Elements

Mixed Finite Element method gives

- Compatibility: $\nabla \times \nabla \varphi = 0, \nabla \cdot \nabla \times \mathbf{v} = 0$
- Accurate balance and adjustment properties
- No orthogonality constraints on the mesh
- Flexibility of choice mesh (quads, triangles) and accuracy (polynomial order)

$$J \equiv \frac{\partial \phi(\hat{\chi})}{\partial \hat{\chi}}$$

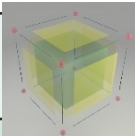
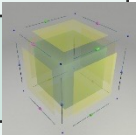
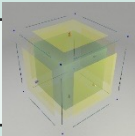
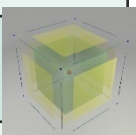


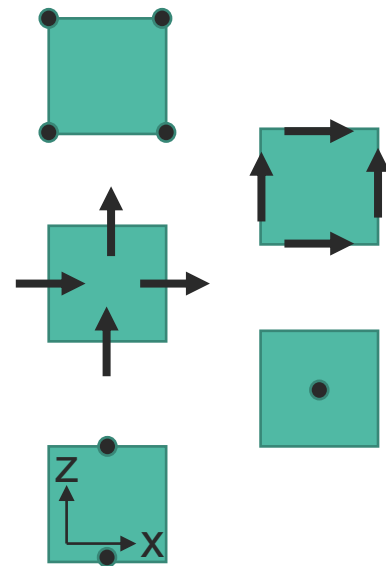
Mixed Finite Element Method

- Retains layout and properties of UM
- No requirement for orthogonality

$$\mathbb{W}_0 \xrightarrow{\nabla} \mathbb{W}_1 \xrightarrow{\nabla \times} \mathbb{W}_2 \xrightarrow{\nabla \cdot} \mathbb{W}_3.$$

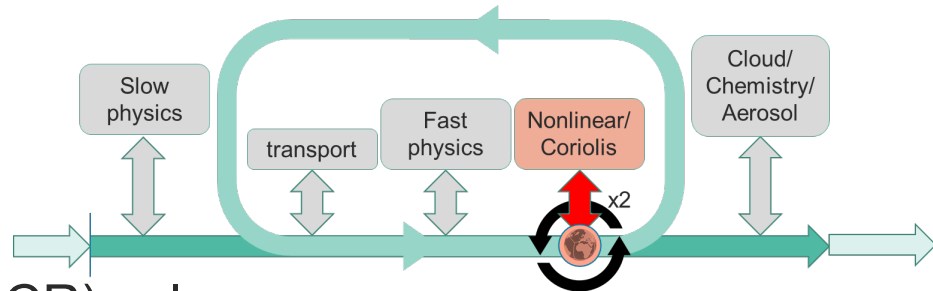
$$\mathbb{W}_\theta = \mathbf{k} \cdot \mathbb{W}_2$$

$\mathbb{W}_0$	Pointwise scalars		
$\mathbb{W}_1$	Circulation Vectors		
$\mathbb{W}_2$	Flux Vectors	Velocity	
$\mathbb{W}_3$	Volume integrated Scalars	Pressure, Density	
$\mathbb{W}_\theta$	Pointwise scalars	Potential Temperature, moisture	



Linear Solver

- Solver Outer system with Iterative (GCR) solver



$$\begin{pmatrix} M_2^{\mu, C} & & -P_{2\theta}^{\Pi*} & -G^{\theta*} \\ D^{\rho*} & M_3 & & \\ P_{\theta 2}^{\theta*} & & M_{\theta} & \\ & -M_3^{\rho*} & -P_{3\theta}^* & M_3^{\Pi*} \end{pmatrix} \begin{pmatrix} \tilde{u}' \\ \tilde{\rho}' \\ \tilde{\theta}' \\ \tilde{\Pi}' \end{pmatrix} = \begin{pmatrix} -\mathcal{R}_u \\ -\mathcal{R}_{\rho} \\ -\mathcal{R}_{\theta} \\ -\mathcal{R}_{\Pi} \end{pmatrix}$$

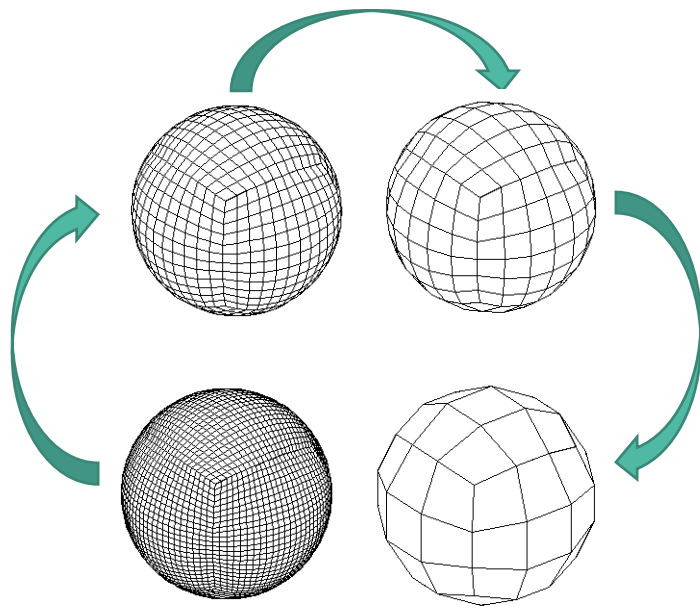
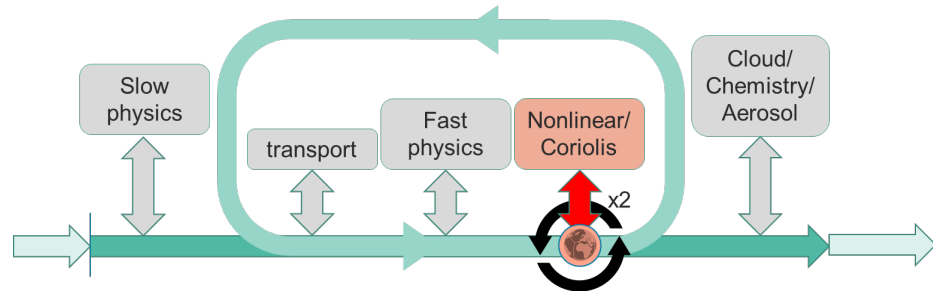
- Contains all couplings
- Velocity mass matrices couple in all directions and potential temperature mass matrices couple in the vertical
- Efficient solution requires a good preconditioner...

Multigrid preconditioner

- Helmholtz system $H\Pi' = R$ solved using a single Geometric-Multi-Grid V-cycle with block-Jacobi smoother

$$H = M_3^{\Pi*} + \left(F_{3\theta}^* \overset{\circ}{M}_\theta^{-1} P_{\theta 2}^{\theta*} + M_3^{\rho*} M_3^{-1} D^{\rho*} \right) \left(\overset{\circ}{M}_2^{\mu, C} \right)^{-1} G^{\theta*}.$$

- Coupled mass matrices are now lumped
- Preconditioner system resembles single ENDGame solve



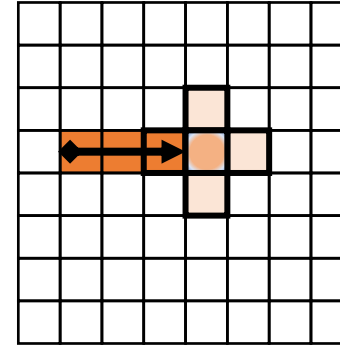
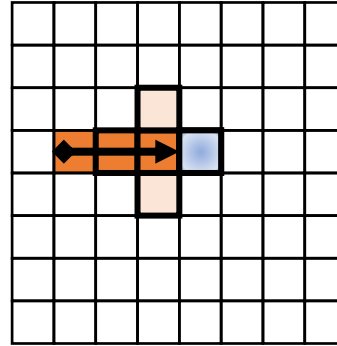
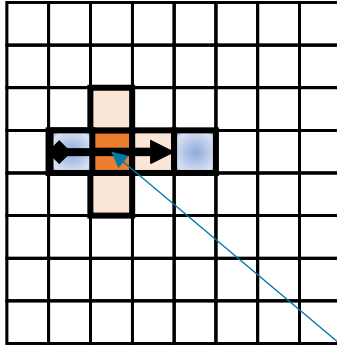
Transport – horizontal options

Stage/substep 1

Stage/substep 2

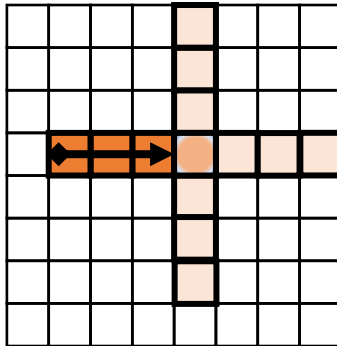
Stage/substep 3

**Eulerian
scheme**



- Small mpi halo exchange
- Multiple exchanges
- Cheap computation
- Multiple calls

**Flux-form
Semi-Lagrangian
scheme**



E.g. CFL number = 3

- Large mpi halo exchange
- Only 1 exchanges
- More expensive computation
- Only 1 call

UM-LFRic differences/similarities

	ENDGame/UM	GungHo/LFRic
Grid	Lat-Long	Cubed-Sphere
Equation set	Deep, non-hydrostatic	Deep, non-hydrostatic
Prognostic Variables	ρ , θ , Π , u , v , w	ρ , θ , Π , <u>u</u>
Moist Variables	Specific humidities & mixing ratios	mixing ratios !
Spatial Discretisation	2nd Order FD	Mixed FEM
Temporal Discretisation	Iterative Semi-Implicit	Iterative Incremental Semi-Implicit
Advection	Semi-Lagrangian	Dimensionally split, Eulerian or FFSL
Physics parametrizations	UM,SOCRATES,JULES	UM,SOCRATES,JULES

Algorithms, kernels and Psyclone

- Algorithms work on full domain fields:

```
!!!! Compute pressure for CFL and qsat removal
call exner_wth%copy_field_properties(pressure)
inv_kappa = 1.0_r_def/kappa
call invoke(setval_X(pressure,exner_wth), &
            inc_X_poreal_a(pressure,inv_kappa), &
            inc_a_times_X(p_zero,pressure))
```

- No need to worry about loops, mesh structure, parallelism – this is all taken care of in the mysterious “invoke”

- Kernels work on individual grid points:

```
do k = 0, nlayers-1

  ! Pressure on layer boundaries (note, top layer is set to zero below)
  p_theta_levels(1,1,k) = real(p_zero*(exner_in_wth(map_wth(1) + k)) &
                               **(1.0_r_um/kappa), r_um)

end do ! k
```

- Direct looping over k dimension
- Indirect looping over horizontal mesh using “map_wth”

Algorithms, kernels and Psyclone

- Psyclone is auto-generated code which sits between algorithms and kernels
- Deals with data parallelism – halo exchanges, openMP
- Does looping over horizontal mesh if required
 - Option to pass the entire horizontal domain (of MPI rank) to a kernel, to allow i-first looping if this is more performant

- Metadata is added to kernels to configure Psyclone:

```
!> Kernel metadata for Psyclone
type, public, extends(kernel_type) :: methox_kernel_type
private
  type(arg_type) :: meta_args(3) = (/
    arg_type(GH_FIELD, GH_REAL, GH_WRITE, WTHETA), &
    arg_type(GH_FIELD, GH_REAL, GH_READ, WTHETA), &
    arg_type(GH_SCALAR, GH_REAL, GH_READ, WTHETA) &
  /)
  integer :: operates_on = CELL_COLUMN
contains
  procedure, nopass :: methox_code
end type methox_kernel_type
```

Psyclone auto-generated code:

```
! Compute rhs = u + dt*grad(p)
call rhs%initialise( u%get_function_space() )
call grad%initialise( u%get_function_space() )
call invoke( setval_c(grad, 0.0_r_def), &
             gradient_kernel_type(grad, pressure, qr), &
             aX_plus_Y(rhs, dt, grad, u) )
```

PSy Layer →

New algorithm ↙

```
CALL rhs % initialise(u % get_function_space())
CALL grad % initialise(u % get_function_space())
CALL invoke_0(grad, pressure, rhs, dt, u, qr)
```

MPI

Horizontal
Looping

Kernel Call

OpenMP

Built-in

MPI

```
SUBROUTINE invoke_0(grad, pressure, rhs, dt, u, qr)
  ...
  !$omp end parallel
  IF (pressure_proxy%is_dirty(depth=1)) THEN
    CALL pressure_proxy%halo_exchange(depth=1)
  END IF
  !
  DO colour=1,ncolour
    !$omp parallel default(shared), private(cell)
    !$omp do schedule(static)
    DO cell=1,mesh%get_last_halo_cell_per_colour(colour,1)
      CALL gradient_code(nlayers,
        grad_proxy%data, pressure_proxy%data, &
        ndf_w2, undf_w2, map_w2(:,cmap(colour, cell)), &
        diff_basis_w2, &
        ndf_w3, undf_w3, map_w3(:,cmap(colour, cell)), &
        basis_w3, np_xy, np_z, weights_xy, weights_z)
    END DO
  !$omp end do
  !$omp end parallel
  END DO

  ! Set halos dirty/clean for fields modified in the above loop
  CALL grad_proxy%set_dirty()

  !$omp parallel default(shared), private(df)
  !$omp do schedule(static)
  DO df=1,rhs_proxy%vspace%get_last_dot_annexed()
    rhs_proxy%data(df) = dt*grad_proxy%data(df) + u_proxy%data(df)
  END DO
  !$omp end do

  ! Set halos dirty/clean for fields modified in the above loop
  !$omp master
  CALL rhs_proxy%set_dirty()
  !$omp end master
  !
  !$omp end parallel
END SUBROUTINE invoke_0
```

Coupling in the physics

- Map LFRic fields onto UM arrays
 - Example here is k-first data, but can add i-loop:

```
j = 1
do k = 1, model_levels
  do i = 1, seg_len
    ! height of levels from centre of planet
    r_rho_levels(i,j,k) = height_w3(map_w3(1,i) + k-1) + planet_radius
```

- Call the UM scheme
 - All spatially varying information must be passed in through argument list – no use of modules

- Map UM outputs back to LFRic fields

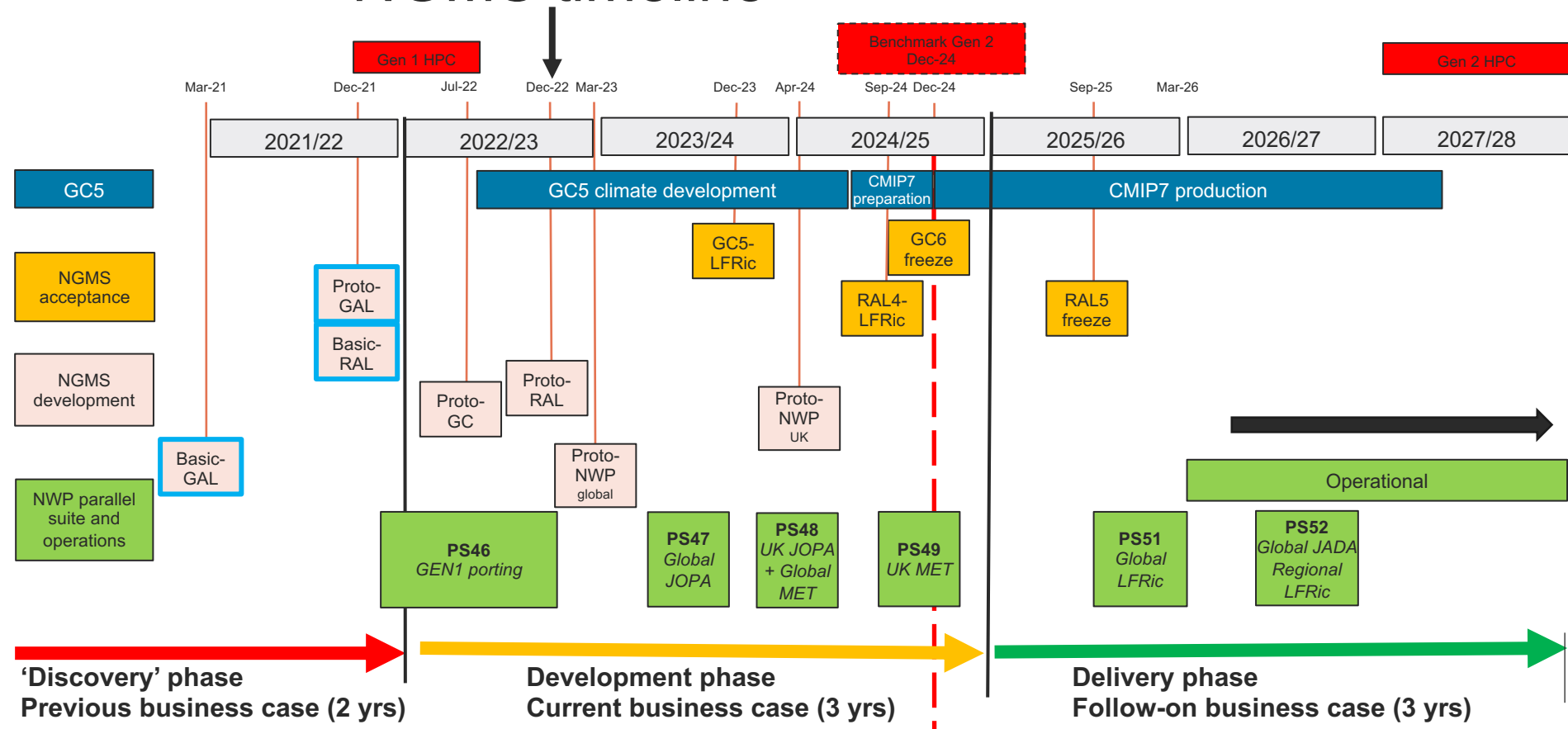
```
!-----
! For the initial implementation we pass each individual column
! of data to an array sized (1,1,k) to match the UMs (i,j,k) data
! layout.
! assuming map_wth(1) points to level 0
! and map_w3(1) points to level 1
!-----
do k = 1, nlayers
  ! wet density on theta and rho levels
  rho_wet_tq(1,1,k) = wetrho_in_wth(map_wth(1) + k)
  rho_wet(1,1,k) = wetrho_in_w3(map_w3(1) + k-1)
  ! dry density on theta and rho levels
  rho_dry_theta(1,1,k) = rho_in_wth(map_wth(1) + k)
  rho_dry(1,1,k) = rho_in_w3(map_w3(1) + k-1)
```

```
call glue_conv_6a
( rows*row_length, segments, n_conv_levels, bl_levels, call_number, &
  seg_num, theta_conv, q_conv, qcl_conv, qcf_conv, &
  , grain_conv, qgraup_conv, qcf2_conv, &
  , cf_liquid_conv, cf_frozen_conv, bulk_cf_conv, &
  , p_star, land_sea_mask, &
  , u_conv, v_conv, w(1,1,1), &
  , tot_tracer, dthbydt, dqbydt, dqclbydt, dqcfbydt, &
  , dcf1bydt, dcf2bydt, dcbfbydt, dubydt_p, dvbydt_p, &
```

```
if (l_mom) then
  do k = 1, n_conv_levels
    u_conv(1,1,k) = u_conv(1,1,k) + dubydt_p(1,1,k) * timestep_conv
    v_conv(1,1,k) = v_conv(1,1,k) + dvbydt_p(1,1,k) * timestep_conv
    ! total increments
    du_conv(map_w3(1) + k - 1) = du_conv(map_w3(1) + k - 1) + dubydt_p(1,1,k) * timestep_conv
    dv_conv(map_w3(1) + k - 1) = dv_conv(map_w3(1) + k - 1) + dvbydt_p(1,1,k) * timestep_conv
  end do
end if !l_mom
```

Current status

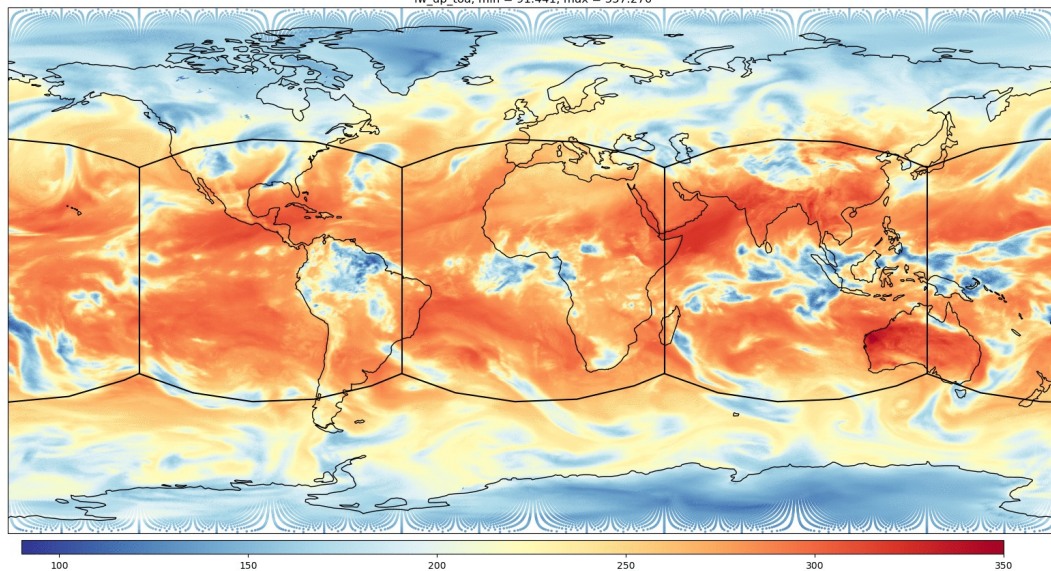
Met Office NGMS timeline



Global status

0324, level: 25, time: 30

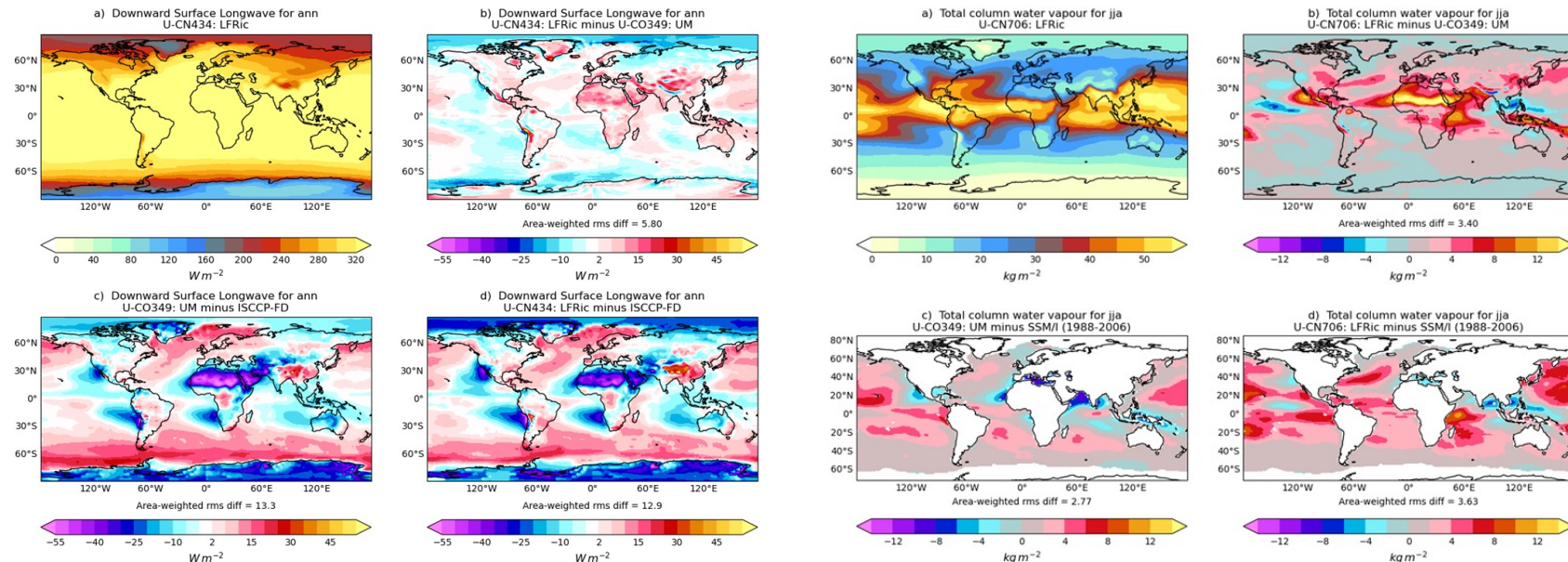
lw up toa, min = 91.441, max = 357.270



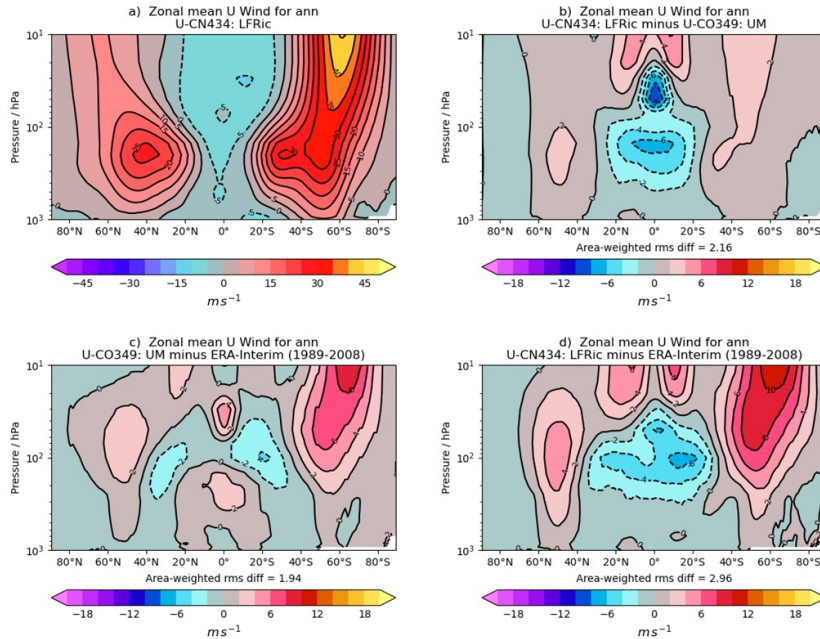
- C448 (20km) simulations running
- Currently attempting C896 (10km)...

Climate assessment

- Increased humidity over land – broadly seems like a good thing



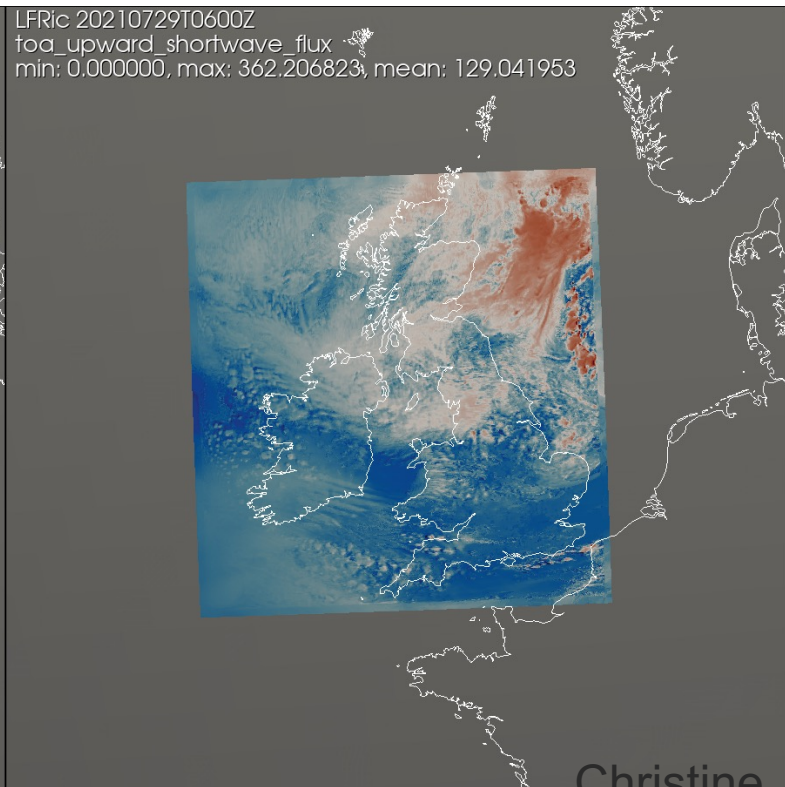
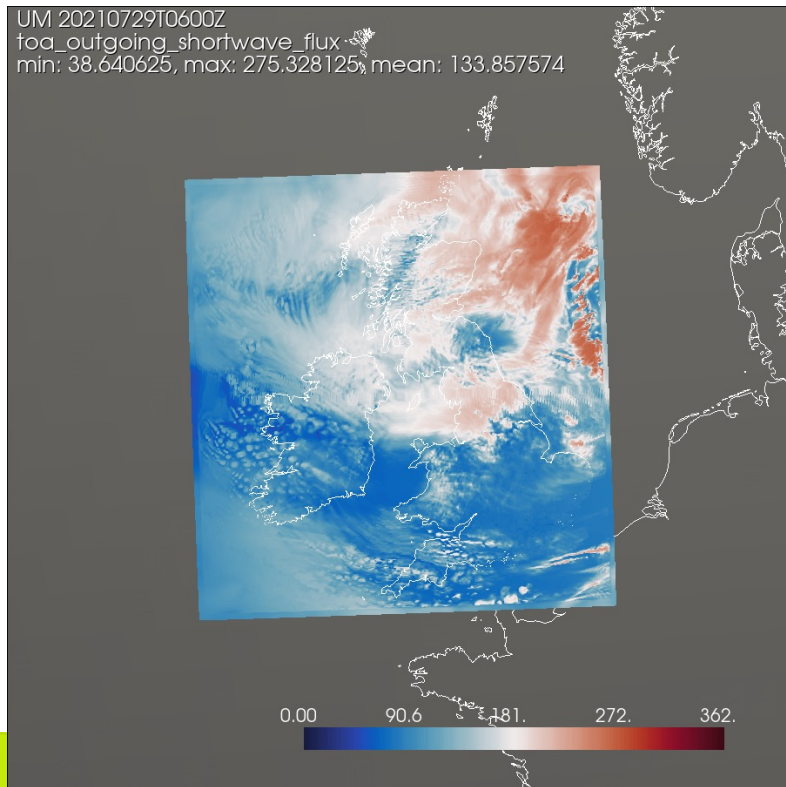
Climate assessment



- Large scale circulation is a bit different
- Jets moved polewards
- In gross terms, the mean climate looks broadly similar however

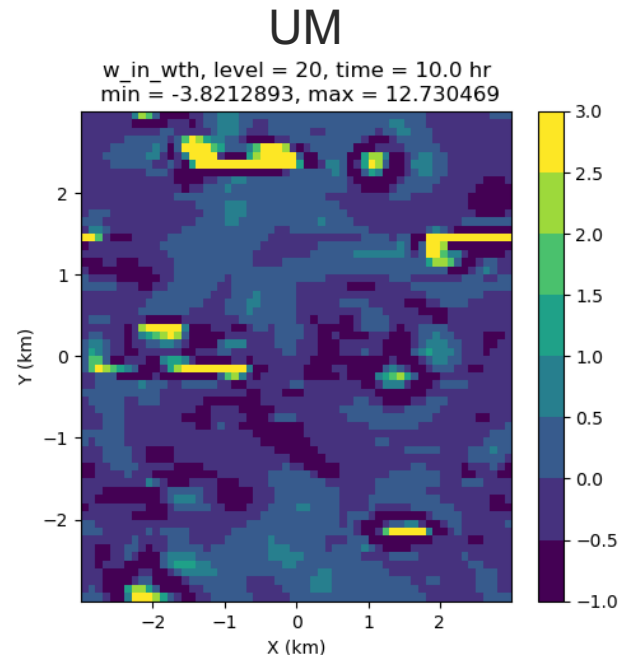
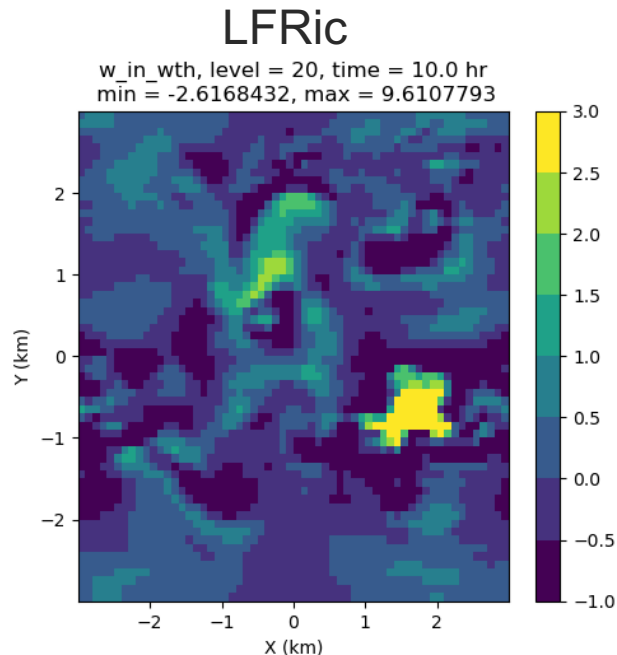
Regional status

- 1.5km UK simulations looking reasonable



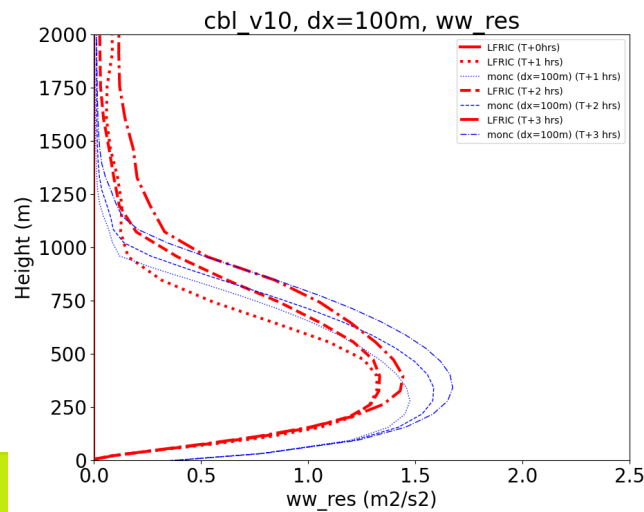
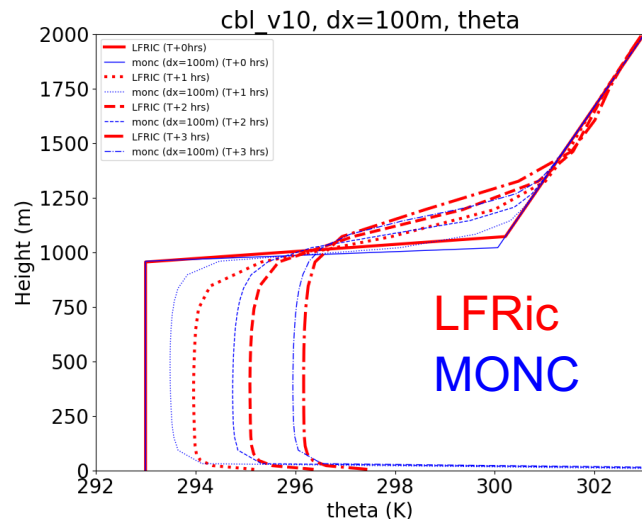
Very high resolution

- Idealised “radiative-convective equilibrium” at 100m grid-length also shows good comparison
- Structures appear more coherent and better resolved in LFRic



Very high resolution

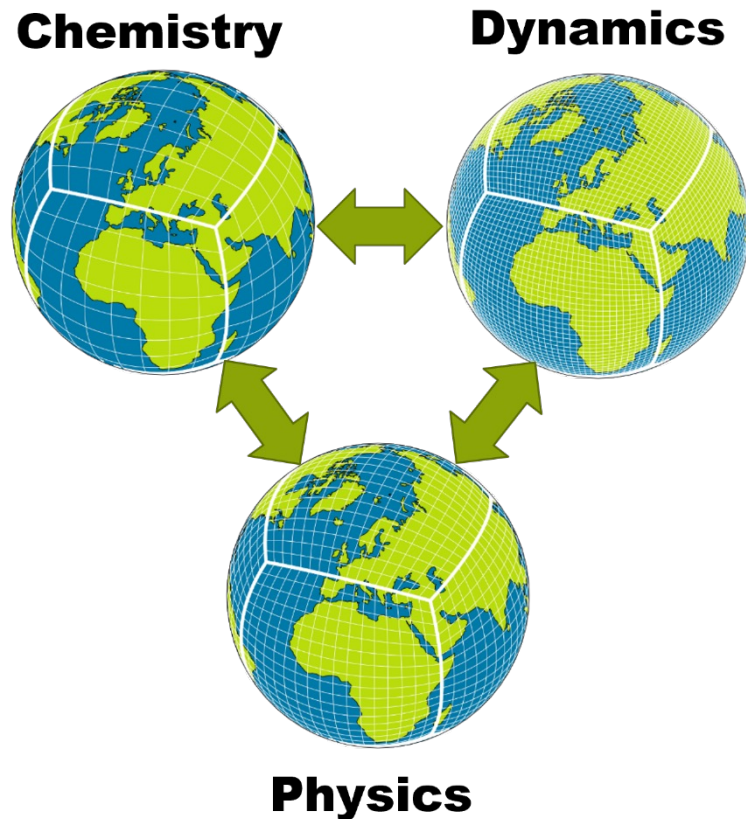
- Idealised dry convective boundary layer at 100m grid-length
- Comparison to large-eddy model (MONC) is pretty good
- Promising signs that LFRic could behave reasonable as a large-eddy model, and certainly be suitable for ~100m NWP



Future plans

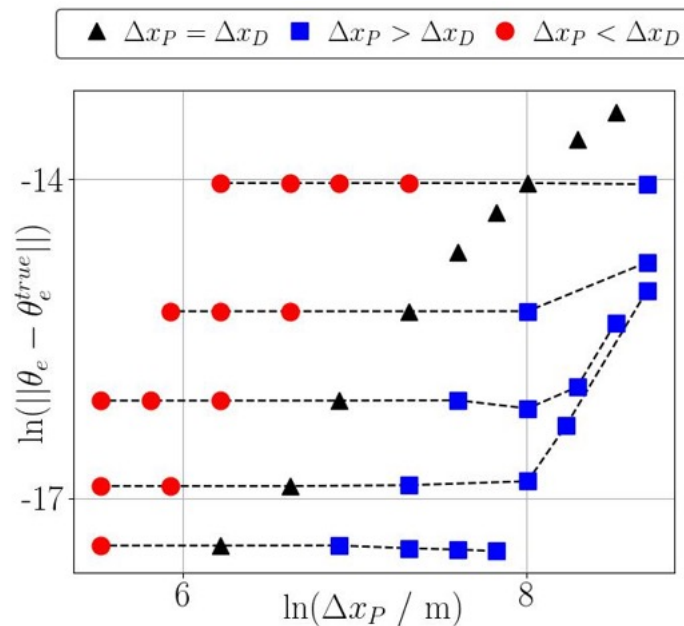
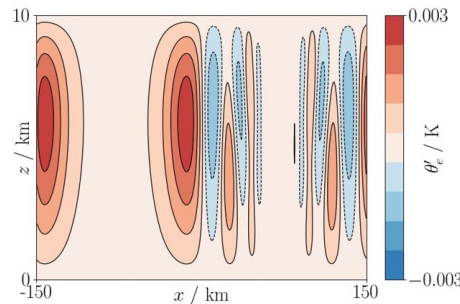
Multi-resolution coupling

- Currently the UM runs a hybrid “junior-senior” Earth system model, coupling an N216 physical model to N96 chemistry & ES components
- Aim to design this from the bottom up with LFRic, allowing coupling between different model components (dynamics, physics, chemistry) on different meshes
- Infrastructure can be equally applicable to limited-area models



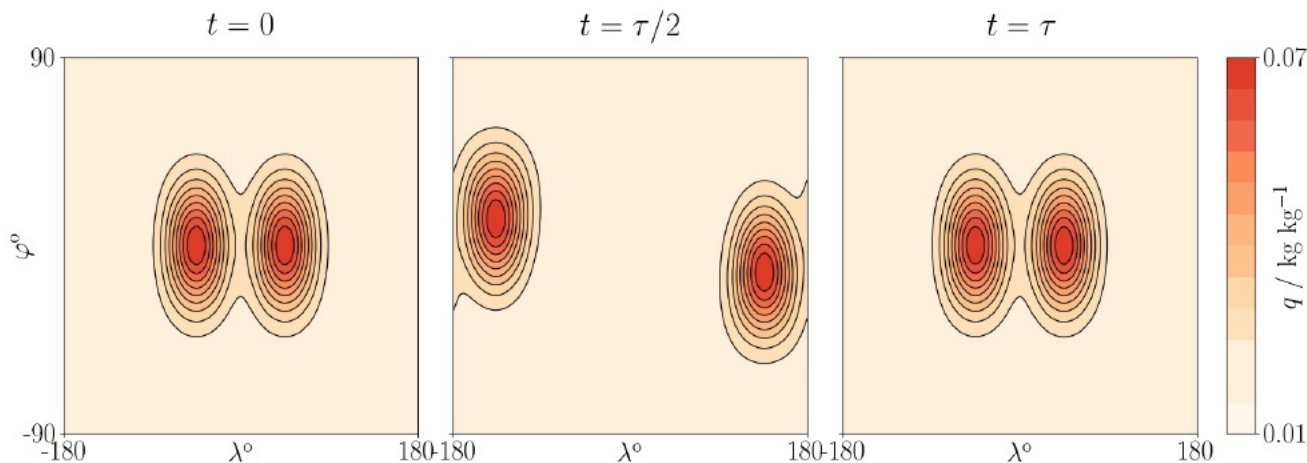
Idealised testing

- Moist gravity wave with condensation/evaporation
- Black shows convergence of results as dynamics and physics resolution is increased
- Red shows increasing physics resolution beyond dynamics does not improve errors
- Blue shows degrading physics resolution initially has no effect, but then leads to strong degradation



Transport on a different mesh

- Tracer bubble exists at coarser resolution than model dynamics
- Dynamical winds driver tracer transport on it's native mesh
- Works, and is much cheaper than transport on dynamics mesh



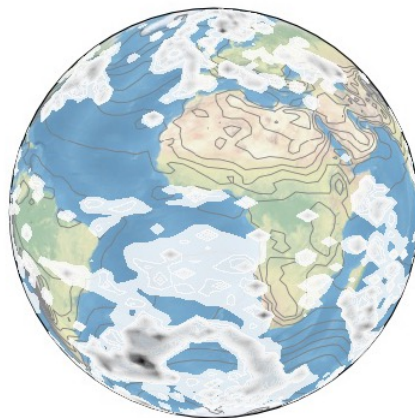
Global NWP simulations

- Initial tests demonstrate that it's possible to run full model with physics at different resolution to dynamics
- Results look plausible in all cases

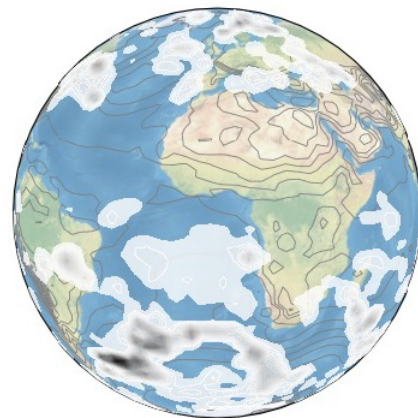
$$\Delta x_{phys} = \frac{1}{2} \Delta x_{dyn}$$



$$t = -1.5 \text{ hr}$$
$$\Delta x_{phys} = \Delta x_{dyn}$$



$$\Delta x_{phys} = 2 \Delta x_{dyn}$$



What's changing

- Infrastructure
- Code layout (algorithms & kernels)
- Data layout (k-first ordering)
- Input/output & file format (netcdf)
- Transport (substepped method of lines or flux-form semi-lagrangian – both locally conservative)
- Solver (mixed system with multigrid preconditioner)

What's not changing (much)

- Physical parametrizations
 - UM, Jules, Socrates, Casim, UKCA built directly from their current repositories
- Horizontal and vertical grids (C-grid horizontal, Charney-Phillips vertical)
- Timestep structure (slow/fast physics, iterative outer/inner loop dynamics)
- Use of Rose, fcm etc